# Concerted Efforts? Monetary Policy and Macro-Prudential Tools

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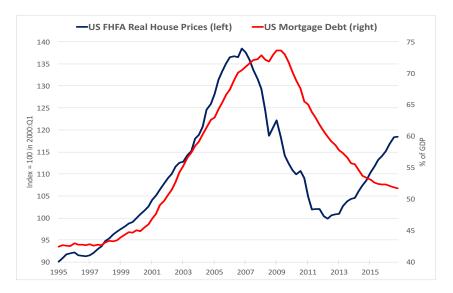
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<sup>\*</sup>The views expressed in this paper do not necessarily reflect the position of the Bank of England.

### Boom-Bust Cycle in House Prices and Debt





#### A New Normal?

With the recovery in the UK economy broadening and gaining momentum in recent months, the Bank of England is now focussed on turning that recovery into a durable expansion. To do so, our policy tools must be used in concert.

> Mark Carney Financial Stability Report Press Conference 26 June 2014

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Quantitative Analysis

Mark Carney Financial Stability Report Press Conference 26 June 2014

- New era of central banking
  - Monetary policy: Interest rate setting
  - Financial stability: Macro-prudential tools

## What We Do

- Simple framework to study interaction of monetary and macro-pru policies
  - ▶ Introduce nominal rigidities in Justiniano, Primiceri and Tambalotti (2016)
  - ► Explicit role of financial intermediation (Curdia and Woordford, 2017)

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- Normative analysis
  - Joint optimal policy plan (some analytics)
  - Boom-bust scenario (numerical analysis)

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- Normative analysis
  - Joint optimal policy plan (some analytics)
  - Boom-bust scenario (numerical analysis)
- Focus on implications of macro-pru for monetary policy
  - Pervasive spillovers between monetary policy and macro-prudential regulation
  - Macro-pru facilitates debt-deleveraging process and alleviates ZLB constraint

#### Selected Related Literature

Model

- Coordinated monetary and macro-prudential policies
  - ▶ Angelini, Neri and Panetta (2012), Angeloni and Faia (2013), Bean et al. (2010), De Paoli and Paustian (2013)
- Bank capital requirements and monetary policy
  - ► Christiano and Ikeda (2016), Clerc et al. (2015), Gertler, Kiyotaki and Queralto (2012), Van den Heuvel (2016)
- ZLB constraint, deleveraging, and macro-prudential policy
  - Eggertsson and Krugman (2012), Farhi and Werning (2016), Guerrieri and Lorenzoni (2015), Korinek and Simsek (2016)
- Empirical studies
  - Akinci and Olmstead-Rumsey (2017), Cerutti, Claessens and Laeven (2015), Gambacorta and Murcia (2016), Meeks (2017)

#### Outline

Introduction

Model and credit market equilibrium

Optimal policy: Analytical results

Quantitative experiments: Boom-bust scenario

#### Overview

- Patient and impatient households, differ in their individual discount factor
  - ► Impatient households would like to borrow to purchase housing services
  - ▶ Patient household save via deposits and equity of financial intermediaries

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  - Capital requirement on financial intermediaries (He and Krishnamurty, 2013)
- Standard New Keynesian supply side with nominal rigidities

• Continuum of measure  $\xi \in (0,1)$ , maximize

$$\mathbb{E}_{0} \left\{ \sum_{t=0}^{\infty} \beta_{b}^{t} \left[ \left( 1 - e^{-zC_{t}^{b}} \right) + \frac{\chi_{H}^{b}}{1 - \sigma_{h}} (H_{t}^{b})^{1 - \sigma_{h}} - \frac{\chi_{L}^{b}}{1 + \varphi} (L_{t}^{b})^{1 + \varphi} \right] \right\}$$

Budget constraint

$$P_t C_t^b - D_t^b + Q_t H_t^b = W_t^b L_t^b - R_{t-1}^b D_{t-1}^b + Q_t H_{t-1}^b + \Omega_t^b - T_t^b,$$

Collateral constraint (Kiyotaki and Moore, 1997)

$$D_t^b \leq \Theta_t Q_t H_t^b$$

with  $\Theta_t \in (0,1)$ 

• Continuum of measure  $1 - \xi$ , maximize

$$\mathbb{E}_{0} \left\{ \sum_{t=0}^{\infty} \beta_{s}^{t} \left[ \left( 1 - e^{-zC_{t}^{s}} \right) + \frac{\chi_{H}^{s}}{1 - \sigma_{h}} (H_{t}^{s})^{1 - \sigma_{h}} - \frac{\chi_{L}^{s}}{1 + \varphi} (L_{t}^{s})^{1 + \varphi} \right] \right\}$$

with  $\beta_s \in (\beta_b, 1)$ 

Budget constraint

$$P_{t}C_{t}^{s} + D_{t}^{s} + E_{t}^{s} + \frac{\Gamma(E_{t}^{s})}{\Gamma(E_{t}^{s})} + (1 + \tau^{h})Q_{t}H_{t}^{s} = W_{t}^{s}L_{t}^{s} + R_{t-1}^{d}D_{t-1}^{s} + R_{t-1}^{e}E_{t-1}^{s} + Q_{t}H_{t-1}^{s} - T_{t}^{s} + \Omega_{t}^{s},$$

where  $\Gamma(E_t^s)$  is equity adjustment cost (Jermann and Quadrini, 2012)

#### Financial Intermediaries

• Balance sheet at time t (after borrowers and lenders decisions)

|                | Assets |         | Liabiliti          | es               |
|----------------|--------|---------|--------------------|------------------|
| Equity $E_t^s$ | Loans  | $D_t^b$ | Deposits<br>Equity | $D_t^s \\ E_t^s$ |

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|       |         |                    |                  |

• Leverage constraint/Capital requirement (He and Krishnamurthy, 2013)

$$E_t^s \geq \tilde{\kappa}_t D_t^b$$

Always binding in equilibrium for banks to be relevant

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Leverage constraint/Capital requirement (He and Krishnamurthy, 2013)

$$E_t^s \geq \tilde{\kappa}_t D_t^b$$

- Always binding in equilibrium for banks to be relevant
- Zero profit condition

$$R_t^b = \tilde{\kappa}_t R_t^e + (1 - \tilde{\kappa}_t) R_t^d$$

#### Supply

- Standard New Keynesian supply side
- Retailers package differentiated intermediate goods with CES technology
- Intermediate goods produced with technology linear in labor

$$Y_t(f) = A_t L_t(f)$$

Labor aggregate

$$L_t(f) \equiv [L_t^b(f)]^{\xi} [L_t^s(f)]^{1-\xi}$$

Corresponding wage index

$$W_t \equiv (W_t^b)^{\xi} (W_t^s)^{1-\xi}$$

► Staggered price setting (Calvo, 1983)

#### Equilibrium

Goods market

$$Y_t = \xi C_t^b + (1 - \xi)C_t^s + \Gamma_t$$

Housing market

$$H = \xi H_t^b + (1 - \xi)H_t^s$$

Aggregate balance sheet of financial sector

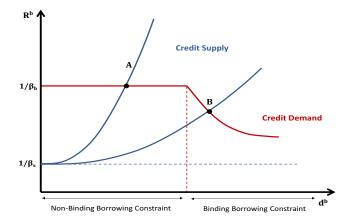
$$\xi D_t^b = (1 - \xi)(D_t^s + E_t^s)$$

• Evolution of per-capita real private debt

$$\frac{D_t^b}{P_t} = \frac{R_{t-1}^b}{\Pi_t} \frac{D_{t-1}^b}{P_{t-1}} + C_t^b - Y_t + \frac{Q_t}{P_t} (H_t^b - H_{t-1}^b) + \mathcal{T}^b,$$

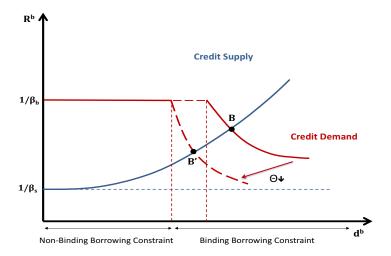
## Credit Market Equilibrium

- Underlying credit market equilibrium corresponds to JPT
  - Sequence of static equilibria that can be represented in  $(d^b, R^b)$  space
  - ► Location of equilibrium depends on parameter values (not multiple equilibria)



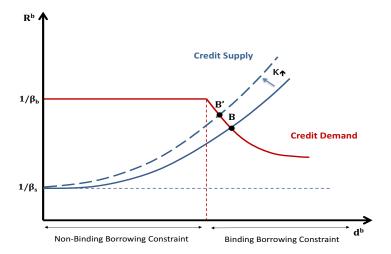
#### Macro-Pru Tools and Credit Market Equilibrium

• Tightening of LTV ratios:  $\Theta_t \downarrow$ 



## Macro-Pru Tools and Credit Market Equilibrium

• Tightening of capital requirements:  $\tilde{\kappa}_t \uparrow$ 



#### Outline

Credit market equilibrium

Interaction between monetary and macro-prudential policy

Quantitative experiments

#### Loss function

$$\mathcal{L}_0 \equiv \frac{\sigma + \varphi}{2} \mathbb{E}_0 \sum_{t=0}^{\infty} \beta^t \left[ x_t^2 + \lambda_{\pi} \pi_t^2 + \lambda_{\kappa} \kappa_t^2 + \lambda_c (c_t^b - c_t^s)^2 + \lambda_h (h_t^b - h_t^s)^2 \right]$$

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Standard terms in inflation and (efficient) output gap

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- Terms due to financial frictions
  - ★ Lack of risk-sharing
  - \* Equity adjustment costs

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- Standard terms in inflation and (efficient) output gap
- ► Terms due to financial frictions
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- Standard NK Phillips curve

$$\pi_t = \gamma x_t + \beta \mathbb{E}_t \pi_{t+1} + u_t^m,$$

IS curve (Savers' Euler equation)

$$x_t - \xi(c_t^b - c_t^s) = -\sigma^{-1}(i_t - \mathbb{E}_t \pi_{t+1}) + \mathbb{E}_t[x_{t+1} - \xi(c_{t+1}^b - c_{t+1}^s)] + \nu_t^{cgap}$$

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Quantitative Analysis

Binding borrowing constraint

$$d_t^b = \theta_t + q_t + (1 - \xi)(h_t^b - h_t^s)$$

Evolution of debt

$$\begin{aligned} d_t^b &= \frac{1}{\beta_s} (i_{t-1} + \psi \kappa_{t-1} + d_{t-1}^b - \pi_t) \\ &+ (1 - \xi) [(h_t^b - h_t^s) - (h_{t-1}^b - h_{t-1}^s)] + \frac{1 - \xi}{n} (c_t^b - c_t^s) \end{aligned}$$

#### House prices

$$q_{t} = -(i_{t} - \mathbb{E}_{t}\pi_{t+1}) + \frac{\sigma\omega}{\omega + \beta}\mathbb{E}_{t}x_{t+1} + \frac{\xi\tilde{\mu}}{\omega + \beta}\theta_{t} - \frac{\xi(1 - \tilde{\mu})}{\omega + \beta}\psi\kappa_{t} + \frac{\beta}{\omega + \beta}\mathbb{E}_{t}q_{t+1} + \nu_{t}^{h}$$

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Quantitative Analysis

Housing gap

$$h_t^b - h_t^s = -\frac{\omega - \xi(\beta_s - \beta_b)}{\sigma_h \xi \omega} (i_t - \mathbb{E}_t \pi_{t+1}) + \frac{\beta_s - \beta_b}{\sigma_h \omega} (q_t - \mathbb{E}_t q_{t+1})$$

$$-\frac{\sigma}{\sigma_h \xi} (x_t - \mathbb{E}_t x_{t+1}) + \frac{\sigma}{\sigma_h} (c_t^b - c_t^s) + \frac{\tilde{\mu}}{\sigma_h \omega} \theta_t - \frac{1 - \tilde{\mu}}{\sigma_h \omega} \psi \kappa_t + \nu_t^{hgap}$$

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  - Also abstract from costs of changing capital requirements  $(\lambda_{\kappa} = 0)$

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  - Can monetary policy fully stabilize inflation?
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  - Intuition: Inflation surprises make private debt state-contingent

$$d_t^b = \frac{1}{\beta_s} \left[ \frac{1}{1 - \tilde{\mu}} d_{t-1}^b - (\pi_t - \mathbb{E}_{t-1} \pi_t) \right] + \nu_t^b$$

► Similar to interaction of monetary and fiscal policy (Chari et al., 1991)

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- Optimal targeting rules for macro-prudential policy

$$\lambda_{\kappa}\kappa_{t} = \varphi_{\kappa}\lambda_{h}(h_{t}^{b} - h_{t}^{s})$$

$$\lambda_c(c_t^b - c_t^s) = \varphi_h \lambda_h (h_t^b - h_t^s)$$

## Optimal Macro-Prudential Policy with Sticky Prices

- With sticky prices, inflation volatility highly suboptimal (Siu, 2004)
- Optimal targeting rule for monetary policy

$$x_t + \gamma \lambda_{\pi} \pi_t + \frac{\sigma}{\psi} \lambda_{\kappa} \kappa_t - \mathcal{M}_{\kappa t} = 0$$

where macro-prudential policy gap is

$$\mathcal{M}_{\kappa t} \equiv rac{\eta}{1-ar{\xi}} \left[ ar{\xi} \sigma rac{\lambda_{\kappa}}{\psi} \kappa_t - \lambda_c (c_t^b - c_t^s) - ar{\xi} lpha_h \lambda_h (h_t^b - h_t^s) 
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Model

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Optimal targeting rules for macro-prudential policy

$$\frac{\eta}{1-\xi}\zeta_h\lambda_h(h_t^b - h_t^s) = \frac{\lambda_\kappa}{\psi}\kappa_t + \mathcal{M}_{\kappa t}$$

$$\mathcal{M}_{\kappa t} = \frac{\tilde{\mu}\zeta_h}{\sigma_h\omega}\lambda_h(h_t^b - h_t^s) + \beta\mathbb{E}_t\mathcal{M}_{\kappa t+1}$$

#### Optimal Monetary and Macro-Prudential Policies

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  - ► Full stabilization if varying capital requirements is not costly

## Optimal Monetary and Macro-Prudential Policies

- Pervasive spillovers between monetary and macro-prudential policies
- With flexible prices, ex-post inflation surprises stabilize private debt
  - Macro-prudential policy focuses on consumption and housing gaps
  - ► Full stabilization if varying capital requirements is not costly
- With sticky prices, ex-post inflation volatility too costly
  - Inflation targeting affected by macro-prudential policy gap
  - Macro-prudential policy gap
    - ★ Depends on current and future housing gaps
    - ★ Prevents static targeting of risk-sharing objectives

#### Outline

Credit market equilibrium

Interaction between monetary and macro-prudential policy

Quantitative experiments

Quantitative Analysis

### Calibration

| Parameter  | Description                                 | Value  |
|------------|---|--------|
| $\beta_s$  | Savers' discount factor                     | 0.995  |
| $\beta_b$  | Borrowers' discount factor                  | 0.9922 |
| $\sigma$   | IES (consumption)                           | 1      |
| $\varphi$  | Inverse Frisch elasticity                   | 1      |
| $\gamma_d$ | Debt limit inertia                          | 0.7    |
| $\gamma$   | Slope of Phillips curve                     | 0.008  |
| ξ          | Fraction of borrowers in economy            | 0.57   |
| η          | Debt/GDP ratio                              | 1.8    |
| Θ          | LTV ratio                                   | 0.7    |
| $\psi$     | Elasticity of funding cost to capital ratio | 0.0125 |
| $\sigma_h$ | IES (housing)                               | 5      |
| $\rho_h$   | Housing demand shock persistence            | 0.95   |

• Introduce slow-moving debt to capture  $corr(hp, d^b) < 1$ 

$$D_t^b(i) \le \gamma_d D_{t-1}^b(i) + (1 - \gamma_d) \Theta_t Q_t H_t^b(i)$$

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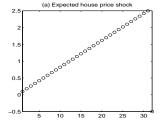
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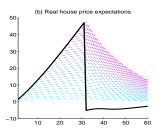
$$D_t^b(i) \le \gamma_d D_{t-1}^b(i) + (1 - \gamma_d) \Theta_t Q_t H_t^b(i)$$

#### Experiment

- Generate boom-bust scenario for house prices
  - Similar to US experience (more extreme than UK)
  - Want to negative shock large enough so that interest rate hits ZLB
- Scenario generated via "news shock"

$$\mathbb{E}_t u_K^h > \mathbb{E}_{t-1} u_K^h \qquad t = 1, \dots K - 1$$
$$u_K^h < \mathbb{E}_1 u_K^h$$





# Flexible Inflation Targeting

• Suppose policymaker seeks to minimize

$$\mathcal{L}_{t}^{FIT} \equiv \mathbb{E}_{t} \sum_{i=0}^{\infty} \beta^{i} \left( x_{t+i}^{2} + \lambda_{\pi} \pi_{t+i}^{2} \right)$$

No macro-prudential objective (pre-crisis status quo)

# Flexible Inflation Targeting

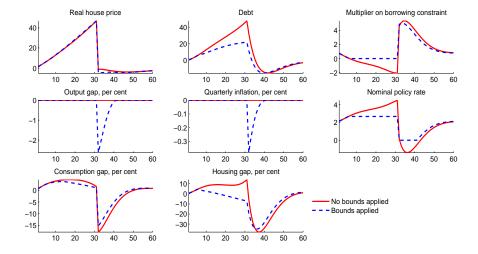
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- No macro-prudential objective (pre-crisis status quo)
- Assume policymaker operates under discretion
  - Hard to hit ZLB under commitment
  - Without ZLB, optimal targeting rule is

$$x_t + \lambda_{\pi} \gamma \pi_t = 0$$

## Flexible Inflation Targeting



Quantitative Analysis

### Flexible Inflation Targeting and Macro-Prudential Policy

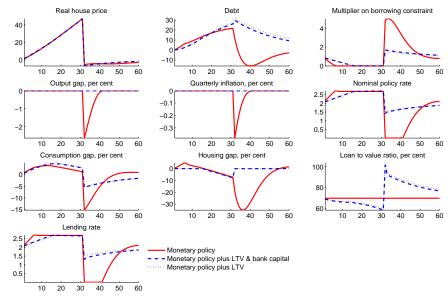
Macro-prudential authority also operates under discretion, minimizes

$$\mathcal{L}_0^{MP} = \mathbb{E}_0 \sum_{t=0}^{\infty} \beta^t \left[ \lambda_c (c_t^b - c_t^s)^2 + \lambda_h (h_t^b - h_t^s)^2 + \lambda_{\kappa} \kappa_t^2 \right]$$

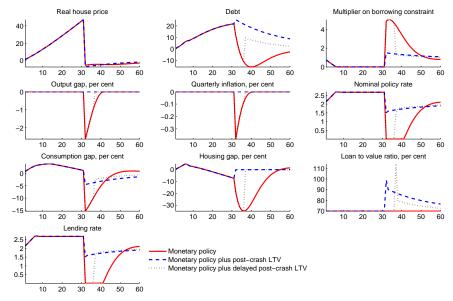
- Focus on use of LTV instrument
- Also study incremental contribution of capital requirements
- Monetary policy continues to operate under flexible inflation targeting

Model

### Flexible Inflation Targeting and Macro-Prudential Policy



### Macro-Prudential Policy after the Crash



#### Conclusions

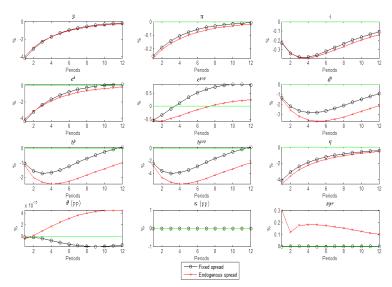
- Financial crisis extended objectives and toolkit of central banks
  - ► Macro-Prudential policy: LTV ratios and capital requirements
- This paper has focused on implications of macro-pru for monetary policy
  - Illustrated how inflation targeting affected by macro-prudential policy targets
- Macro-prudential policy especially useful to escape ZLB situations
  - But must be used very aggressively
  - ▶ In directions that may encourage economy to undertake even more debt
  - May conflict with financial stability objective outside scope of this paper

Appendix

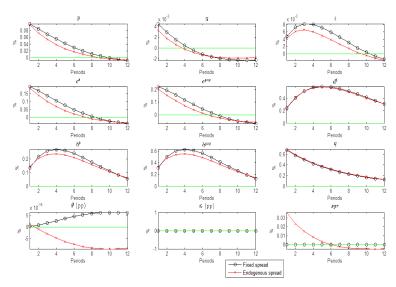
### Robustness: Endogenous Spreads

- Credit spreads exogenous in our model
  - ► May affect macro-pru policy that encourages more borrowing in a slump
  - ▶ When spreads are likely to rise, hence deterring additional borrowing
- Replace banking system with framework in Gertler and Kiyotaki (2010)
  - ▶ Moral hazard ⇒ Endogenous spreads
- Nelson and Pinter (2013) show steady state is unchanged
  - Compare using same loss function

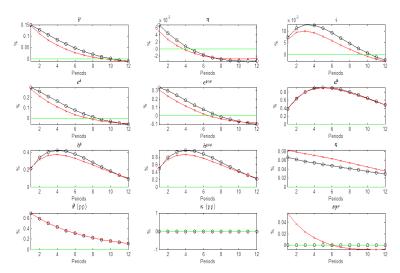
#### **Demand shock**



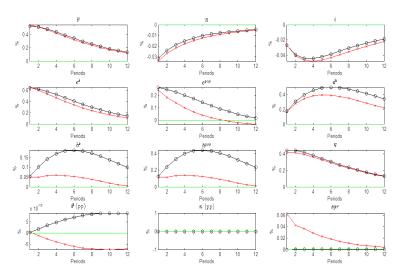
#### Housing demand shock



#### LTV shock



#### TFP shock



Appendix

## Methodology

- Occasionally-binding constraints
  - ► Use methodology of Holden and Paetz (2012)
  - ► Similar to Guerrieri and Iacoviello (2015)
- Treats occasionally-binding constraints as a regime
  - Takes into accounts possibility that constraint does not bing at t+1 conditional on constraint binding at t (and vice versa)

Appendix

#### Methodology

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- Treats occasionally-binding constraints as a regime
  - ▶ Takes into accounts possibility that constraint does not bing at t+1conditional on constraint binding at t (and vice versa)
- Doesn't account for risk that future shocks may cause constraint to bind
  - ► Linear approximation within each regime
  - Overall piece-wise linear solution
- Neither precautionary savings nor skewness but highly tractable