

Discussion of:
*Fiscal Multipliers: Liquidity Traps and Currency
Unions*

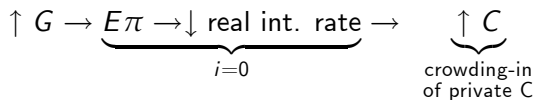
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ECB Public Finance Conference, 11-12 December 2014.

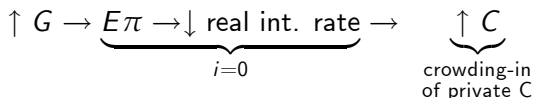
This paper: key role of "inflation channel"

1. Critical in making ZLB fiscal multiplier **large**

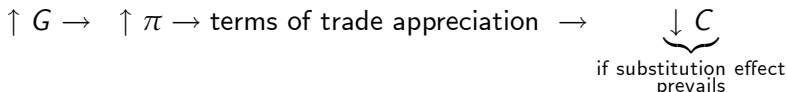


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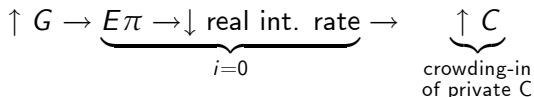


2. Critical in making multiplier in **currency union** smaller than ZLB multiplier

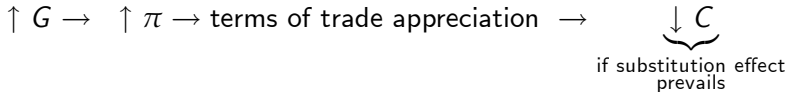


This paper: key role of "inflation channel"

1. Critical in making ZLB fiscal multiplier **large**



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→ The "overreliance" of NK models on the (expected) inflation channel

Questions

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2. Isn't a **muted** inflation response **precisely** what we should expect in **deep recessions**?

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- ▶ $R_t = 1$
- ▶ Assume current price **fixed**

$$\underbrace{(Y_t - G_t)}_{C_t}^{-\sigma} = \beta \frac{\bar{P}_t}{P_{t+1}} (Y_{t+1} - G_{t+1})^{-\sigma} \quad \text{Euler condition}$$

► Rewrite

$$Y_t = \underbrace{G_t}_{\text{contemporan. multiplier}} + \underbrace{\left(\frac{P_{t+1}/\bar{P}_t}{\beta}\right)^{\frac{1}{\sigma}}}_{\text{expectation-based multiplier}} \underbrace{(Y_{t+1} - G_{t+1})}_{\text{income effect}}$$

The equation shows the decomposition of Y_t into three components. The first component is G_t , labeled as the "contemporan. multiplier". The second component is $\left(\frac{P_{t+1}/\bar{P}_t}{\beta}\right)^{\frac{1}{\sigma}}$, which is labeled as the "expectation-based multiplier". The third component is $(Y_{t+1} - G_{t+1})$, which is labeled as the "income effect". The "substitution effect" label is positioned above the fraction in the second component, and the "income effect" label is positioned above the parentheses in the third component.

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► Woodford (2013)

$$\underbrace{2.3}_{\text{total multiplier}} = \underbrace{1}_{\text{contemporan. multiplier}} + \underbrace{1.3}_{\text{expectation-based multiplier}}$$

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- Note: if ΔG purely **temporary** \rightarrow expectation-based multiplier = 0

- ▶ Can a purely **temporary** fiscal expansion generate an increase in **future** output?

$$G_t > 0$$

$$G_{t+1} = 0$$

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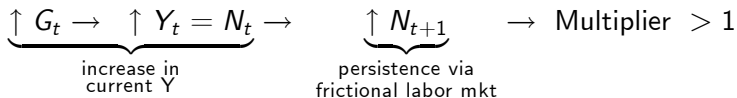
$$\begin{aligned}G_t &> 0 \\G_{t+1} &= 0\end{aligned}$$

- ▶ Can construct equilibrium s.t **multiplier** > 1 can be obtained via future deflation

$$\uparrow G_t \rightarrow \uparrow Y_{t+1} \text{ and } \underbrace{\downarrow P_{t+1}}_{\text{future } \mathbf{deflation}}$$

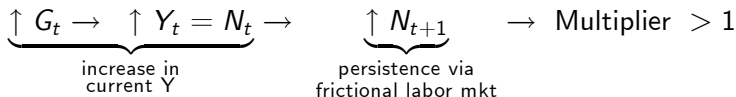
- ▶ Suppose **frictional** labor markets → Unemployment **endogenous** state (e.g Rendahl 2014)

$$Y_{t+1} = N_{t+1} = Y(N_t)$$



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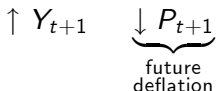
$$Y_{t+1} = N_{t+1} = Y(N_t)$$



- ▶ Suppose CIA constraint binding in t+1

$$\bar{M}_{t+1} = P_{t+1} Y_{t+1}$$

- ▶ Conditional on \bar{M}_{t+1} :



Isn't a muted inflation response precisely what we should expect in deep recessions?

Inflation particularly unresponsive to stimulus policies during recessions

- ▶ General implication of models in which **marginal** cost of hiring differs from the **average** cost (especially in **recessions**)
- ▶ With **frictional** labor markets:
 - ↑ labor market tightness → ↑ marg. cost → ↑ inflation
- ▶ Recession → Demand stimulus policies likely to have a **muted effect** on tightness

General implication of DMP-frictional labor market model

▶ "Labor **supply**"

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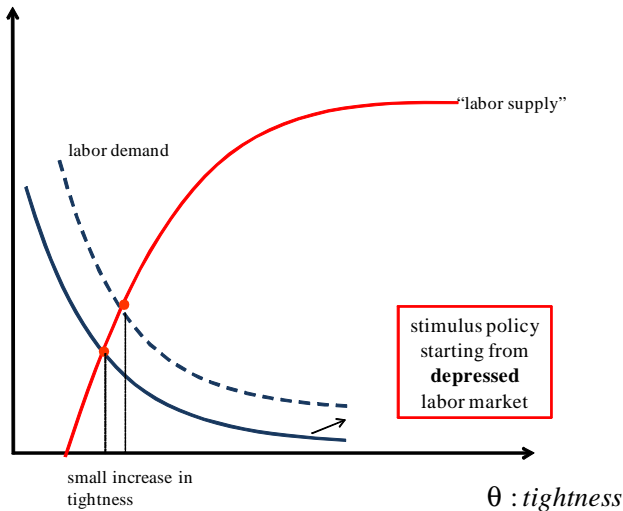
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- ▶ CRS matching function + prod. function with decreasing marginal returns to labor (see e.g. Michaillat 2013)

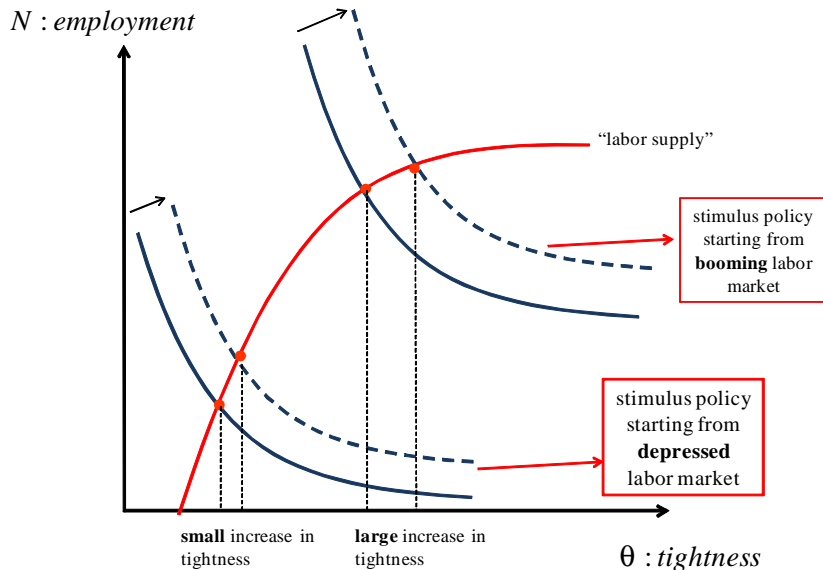
Non-linear effect on tightness of stimulus policy

N : employment



stimulus policy
starting from
depressed
labor market

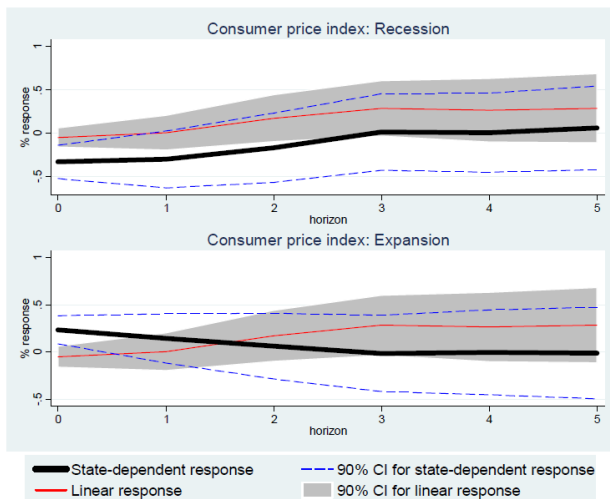
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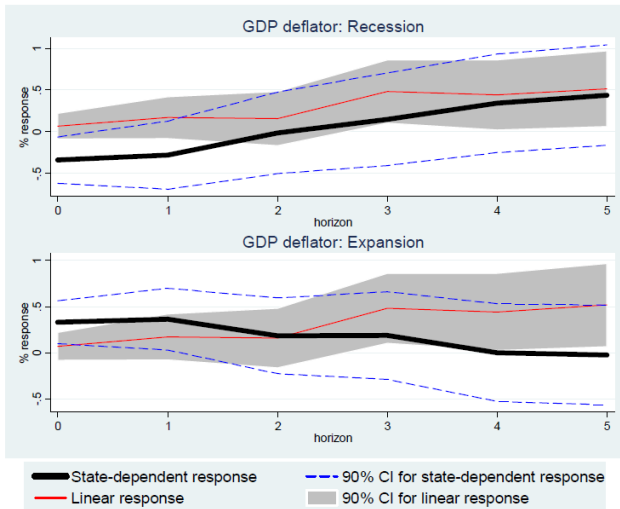
What does the empirical evidence say?

Evidence of state dependence

Source: Auerbach and Gorodnichenko (2011)



► Note: if anything the price level **falls** in recessions.



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- ▶ Ultimately what we want is **components of GDP** to respond to stimulus.
- ▶ Theory and evidence suggest that components of spending that **contract the most** in recessions, i.e. business and durable **investment**, are also the **least reactive** to policy during the same recession.
- ▶ True for all components of spending where

1. **fixed costs** are relevant
2. most of adjustment happens along **extensive margin**

→ See e.g., Berger-Vavra (2013), Winberry (2014)

Conclusions

- ▶ Great and **relevant** paper
- ▶ Doubtful that "inflation channel" truly the key one → Says something about the relevance of NK models for analysis of policy multipliers in deep recessions
- ▶ Focus on models that emphasize **frictional labor markets** and **state-dependency** of fiscal multipliers