

# Self-fulfilling Fire Sales

## Fragility of Collateralised Short-term Debt Markets

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# Motivation: Systemic run & illiquid collateral

Observations in the Global Financial Crisis 07-09:

(1) **“Systemic runs”** on short-term debt collateralised with

- private-label ABS, corporate bond, agency bond

(2) **Fire sales of illiquid collateral:** e.g. He, Khang and Krishnamurthy (2010)

- Hedge fund and broker/dealer holdings of securitised asset decreased by \$800 billion
- Commercial banks absorbed \$550 billion. Remaining by gov't

# What's new to be explained?

**Difference from traditional bank run:** no first-come-first-served nature as in deposit contract.

E.g. a quote from Gary Gorton (2012) (emphasis by me)

*...we know that crises are exits from bank debt... In this form of money (repo), each “depositor” receives a bond as collateral. **There is no common pool of assets on which bank debt holders have a claim.** So, strategic considerations about coordinating with other agents do not arise. This is a challenge for theory and raises issues concerning notions of liquidity and collateral...*

# This paper: Self-fulfilling Fire Sales

**Mechanism:** a feedback between **borrowers' risk-taking incentives** and the **endogenous fire-sale discount** of the collateral

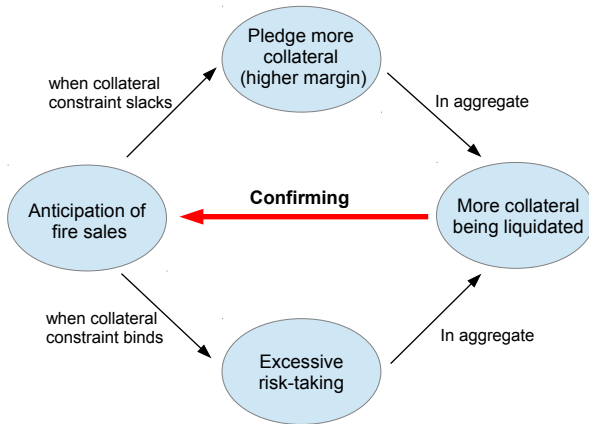
**Result:** Collateralised short-term debt is privately optimal but in equilibrium can lead to fragility (multiple equilibria).

**Contribution:** A new form of coordination failure between borrowers' ex-ante **margin** and **risk-taking decision**, generating

- self-fulfilling fire sales of certain collateral
- 'systemic run' phenomenon in debt markets

**Policy:** Commitment to purchase collateral can improve welfare and stability

# Mechanism of the self-fulfilling fire sales equilibrium



# Model Setup

**Timing:** Three dates ( $t = 0, 1, 2$ ). Riskfree rate is zero.

**Agents:** A continuum of **borrowing firms** each matched with a **creditor**, and a representative **collateral buyer**.

Each firm starts with no cash and debt but is endowed with:

- 1 a **divisible asset-in-place** which pays an expected dividend  $v$  at  $t = 2$
- 2 a **project** which needs \$1 investment and pays  $X$  at  $t = 2$  when succeeds and 0 otherwise.

**Risk-taking:** each firm can choose the success probability  $p_1 > p_2 > p_3$  by incurring a private effort cost  $c(p_i) = c_i$ , where

$$p_1 X - c_1 > p_2 X - c_2 > 1 > p_3 X - c_3$$

Project realisation is independent

# Collateralised short-term debt

The firm issues collateralised short-term debt

- pledges  $k \in [0, 1]$  fraction of the collateral (**margin**) and promises to repay  $r \geq 0$  (**debt yield**) at  $t = 1$
- At  $t = 1$ , both the firm and its creditor know whether the project has succeeded. Creditor seizes the collateral if failed.

# Creditors' liquidation decision and fire sales

**Assumption:** Creditors' expected utility from receiving the risky collateral dividend at  $t = 2$  is  $\underline{l} \leq v$

- interpretation: less sophisticated and highly regulated creditors. Think of money market mutual fund.
- I will interpret  $\underline{l}$  as “**collateral quality**”. For instance,  $\underline{l} \simeq v$  for safe collateral like US Treasuries.
- Sell at  $t = 1$  when (endogenous) market clearing price  $l \geq \underline{l}$ .

Finally, a competitive collateral buyer clears the market with a downward sloping demand function.

- e.g. Commercial banks with alternative investment opportunities



Equilibrium concept: symmetric (mixed-strategy) rational expectation equilibria.

I first study the individual firm investment and contracting problem at  $t = 0$ , for any conjectured liquidation value  $l$ .

Then I discuss how the collateral liquidation value is determined at  $t = 1$  in equilibrium.

In equilibrium, the conjecture is correct.

## Analysis: Individual firm-creditor contracting problem

Taking  $I$  as given, at  $t = 0$  each firm offers a contract  $\{r, k\}$  to its creditor to maximise the expected payoff, subject to

**Firm's incentive constraint (IC):**

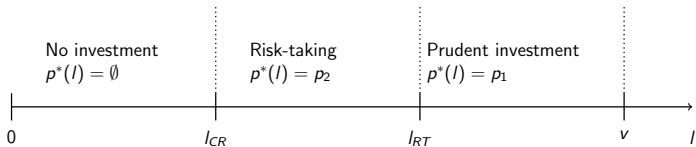
$$p(r, k) \equiv \operatorname{argmax}_{p \in \{p_1, p_2, p_3\}} p(X - r) - (1 - p)kv - c(p)$$

$$\text{or } p(r, k) = \begin{cases} p_1 & \text{for } r \leq \bar{r}_1(k) \\ p_2 & \text{for } r \in (\bar{r}_1(k), \bar{r}_2(k)] \\ p_3 & \text{otherwise} \end{cases} \quad (1)$$

$\bar{r}_i(k)$  increase in  $k \rightarrow$  pledging collateral **discourages** risk-taking

# Result: Anticipation of fire sales induces risk-taking

Under some parameter restrictions, the optimal investment strategy  $p^*(l)$



## Optimal contract:

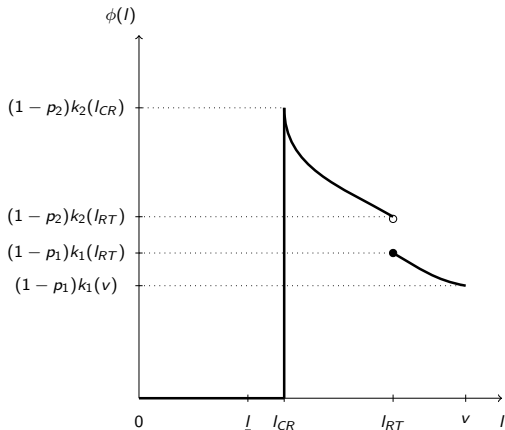
- Margin  $k_i(l)$ : decreasing and convex in  $l$
- Debt yields  $r_i(l)$ : decreasing in  $l$ .

**Lower  $l$  leads to higher margin  $k_i^*(l)$  and risk-taking.**

Next, the illiquid collateral asset market

# Amount of collateral liquidated $\phi(I)$

At  $t = 1$ , by symmetry  $\lambda(I)(1 - p^*(I))k(I)$  collateral transferred to creditors, who sell when  $I \geq \underline{I}$  hence



# Collateral buyer and endogenous liquidation value

There is a competitive collateral buyer to clear the market.

He has an exogenous amount of cash  $\theta \in (0, +\infty)$  at  $t = 0$

- can also invest in a decreasing return to scale technology

Thus the market-clearing price function  $L(\phi; \theta)$  is

- decreasing in  $\phi$  the amount of collateral supplied
- increasing in  $\theta$  the amount of cash available

$\theta$  is common knowledge and an important state variable.

# Equilibrium

For any given  $\theta$ , a symmetric, competitive REE consists of an  $\{l^*\}$  such that

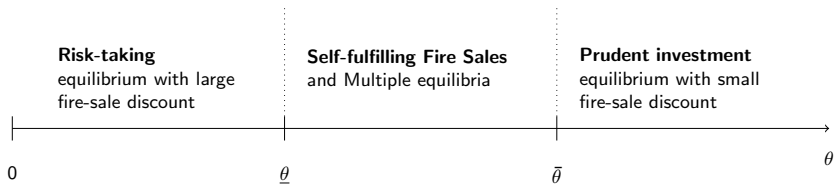
- 1 At  $t = 0$ , agents conjecture the equilibrium liquidation value to be  $l^*$ . Firms maximise profit with  $p^*(l^*)$  and  $\{r(l^*), k(l^*)\}$ ;
- 2 At  $t = 1$ , creditors sell  $\phi(l^*)$  units of collateral ;
- 3 Collateral buyer with  $\theta$  clears the market at price  $L(\phi(l^*); \theta)$ ;
- 4 In equilibrium, agents' conjecture is correct. That is,

$$l^* = L(\phi(l^*); \theta)$$

**Self-fulfilling fire sales:** multiple solutions  $l^*$ .

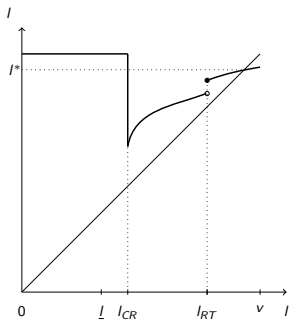
Existence of equilibria proved in the paper.

# Results: equilibria under different $\theta$

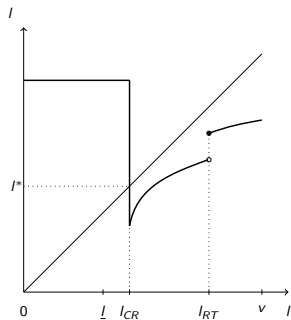




# Results: Unique equilibrium under extreme values of $\theta$



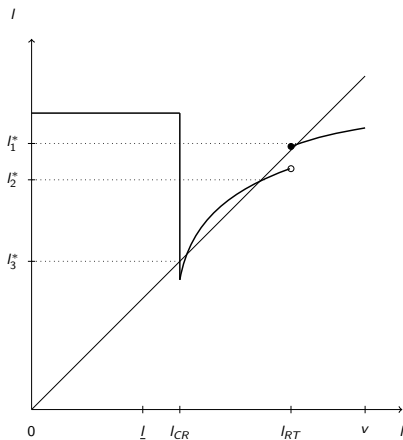
(a) when  $\theta \geq \bar{\theta}$



(b) when  $\theta \leq \bar{\theta}$

**Amplification:** effects of changes in liquidity for collateral amplified by moral hazard problem.

# Multiple equilibria for $\theta \in (\underline{\theta}, \bar{\theta})$



Self-fulfilling fire sales via

- 1 Risk-taking channel  $l_1^* \rightarrow l_2^*$  and
- 2 Margin channel  $l_2^* \rightarrow l_3^*$

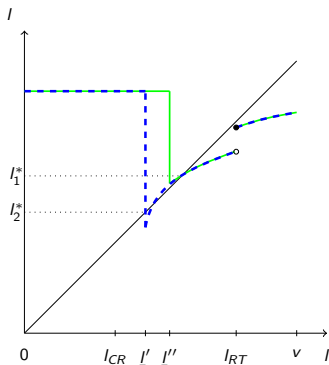
Social welfare in multiple equilibria: **equilibria with higher liquidation value are more efficient**

Central banks can eliminate the inefficient equilibria by **committing to buy any amount of the collateral at some price  $l_{PG}$**

- **Market Maker of Last Resort** coined by Willem Buiter
- As long as  $l_{PG} < l_1^*$ , the facility will not be used in equilibrium

# Collateral quality and fragility

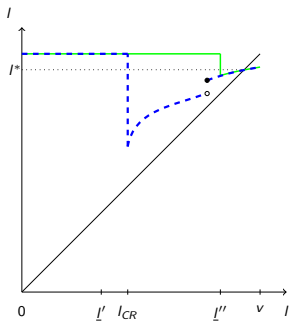
**Cross-section:** Fix a state  $\theta'$ , low quality collateral breeds fragility.



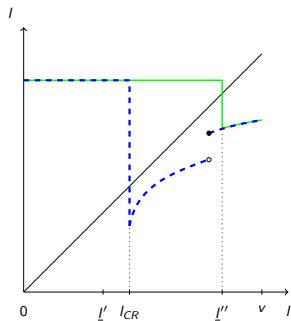
Implication: possible jumps in spreads and borrowing terms for lower quality collateral.

# Counter-cyclical credit spreads

**Business-cycles:** Compare two collateral in different states  $\theta$



(a) when  $\theta \geq \bar{\theta}$



(b) when  $\theta \leq \underline{\theta}$

Implication: differences in spreads and borrowing terms between two collateral are more apparent in bad states.

## Optimality:

- Debt: wipes out downside payoff → motivates effort
- Collateralised: increases 'liability' when failed → relax IC
- Short-term: creditors value the option to liquidate early

# Cost of automatic stay

Common repo is **exempted from automatic stay** provision

- allows lender to timely seize and liquidate the collateral.
- argued to have caused fire sales and should not be exempted

**Caution from this paper:** With automatic stay, firm can threaten to invoke bankruptcy protection and renegotiate with lender

- Suppose  $k$  units of collateral is pledged, the firm can make a take-it-or-leave-it offer to the lender with a new  $k'$  such that

$$k'l^* = k_l$$

- reducing the amount of collateral that the firm can **credibly** pledge. Incentive problem worsened.

**Fragility in secured debt market:** Martin, Skeie, and von Thadden (2012)

- OLG Diamond-Dybvig with large unanticipated shocks

**Self-fulfilling crises and financial market runs:**

- Malherbe (2012): adverse selection and cash-hoarding
- Bernardo and Welch (2004), Morris and Shin (2004): first-come-first-serve with loss limit
- Li and Ma (2013): feedback between bank runs and adverse selection

**Fire-sale and short-term debt:** Eisenbach (2013), Stein (2011),

- Excessively short-term debt under aggregate uncertainty

**Amplifying mechanism:** Danielsson, Shin, and Zigrand (2012), Brunnermeier and Pedersen (2009), Gomb and Vayanos (2002)

- exogenous margin constraints with unanticipated shocks



# Conclusion

- A panic-like financial fragility in modern collateral-based financial system.
- Feedback: firms' ex-ante risk-taking  $\leftrightarrow$  fire-sale discount of collateral
- Can generate non-linear cross-sectional and time-series variations in collateral credit spreads, firms' default risk, debt yields, and credit rationing.
- Policy implication: Central Bank as Market-Maker of Last Resort  $\rightarrow$  improve stability and *reduce* risk-taking.
- Imposing automatic stay may worsen incentives and *increases* fire sales.